Towards a Fast and Efficient Strategy to Assign Channels in WLANs with Channel Bonding

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20.11.2020

WLAN performance

Today's WLANs reuse and modify old protocols to become more efficient, but are also larger and more complex:

- data rates
- frame aggregation
- channel bonding
- coexistence of different standard amendments

WLANs become hard to predict, resulting in poor resource usage and unfair sharing. Taking into account all parameters is unmanageable.

Channel Bonding (CB) compromise:

Potential outcomes

Intro

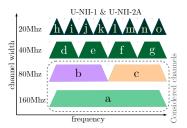
- higher data rates
- lower spatial reutilization
- lower fairness

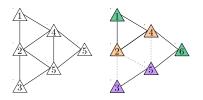
Large set of channel assignments

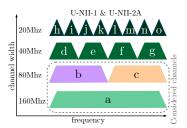
- Up to 4 different channel widths (20, 40, 80, 160 MHz)
- For a network of N nodes, 4^N possible combinations of channel widths
- 2 to 25 channels per channel width...

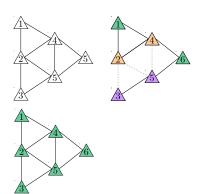


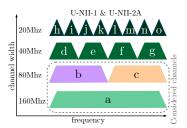


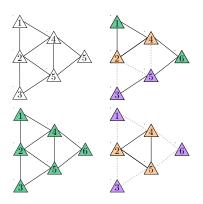


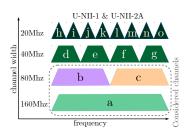


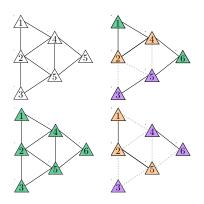


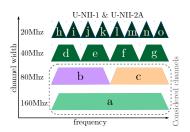


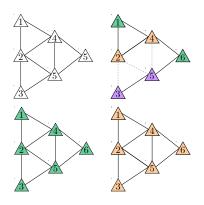


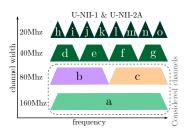












A data-driven and graph-centric solution that:

- Separate channel width selection and channel assignment
- Handles saturated networks with arbitrary topologies (e.g. not fully connected)
- Chooses the best-suited channel width for the entire network
- Fast and efficient
- Input:

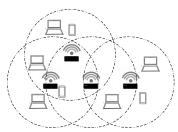
Intro

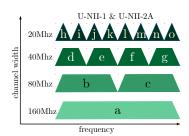
- Network's conflict graph
- Output:
 - Channel width
 - Channel assignment



WLAN devices and available channels

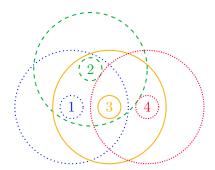
- A collection of Access Points (APs) and stations
- A set of available channels





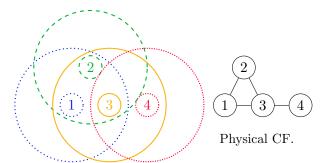
Conflict graph: Physical and logical neighbors

- WLAN of N APs with symmetrical detection zones
- Static Channel Bonding (SCB)



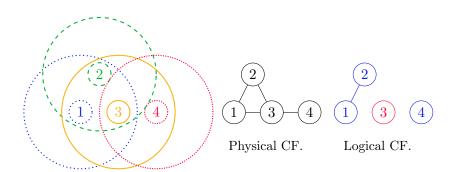
Conflict graph: Physical and logical neighbors

- Topology is represented by a Conflict Graph (CF)
- APs that detect each other are *physical* neighbors



Conflict graph: Physical and logical neighbors

- APs are assigned channels
- APs that still detect each other are logical neighbors



Performance metrics: Starvation

Starvation

- AP n is starving when its throughput is smaller than some pre-set limit $p_{\rm starve}$
- p_{starve} is the starvation threshold
- ST = number of APs in starvation

Proposed solution

Core principles

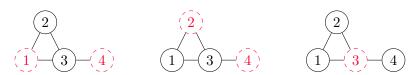
Goals?

Find a channel width and assignment that, based on the obtained logical conflict graph, maximize throughput while minimizing starvation.

- Decouple the channel width selection and channel assignment problems
 - separate channel assignment for each channel width
- Consider worst-case scenarios
 - all APs are saturated
- Fully graph-centric
 - only conflict graph on input



Graph theory: Maximal and maximum independent set Maximal independent sets:

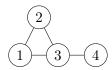


Maximum independent sets:



Maximum Independent set Ratio (MIR) (1)

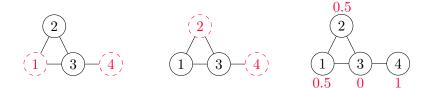
- CSMA/CA tends to maximize the number of simultaneous transmissions 1
- The highest number of simultaneous transmissions \rightarrow APs of the same maximum independent set(s) (MIS)
- Starving nodes are rarely in any MIS



Maximum Independent set Ratio (MIR) (2)

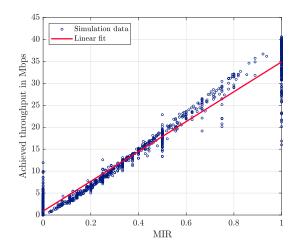
The MIR of node n is the proportion of maximum independent sets that include n:

$$MIR(n) = \frac{|MIS \text{ including } n|}{|\text{total } MIS|} \tag{1}$$



- Randomly generate a collection of 60 graphs
- Calculate the MIR for every node in every graph
- Run ns-3 simulations to obtain the achieved throughput of every node
- Study the relationship of throughput and MIR





Proposed algorithm

- 1. Start with the widest channel size
- 2. Use Taboo search to find a channel assignment
- 3. Calculate MIRs and estimate throughput
- 4. If there are starving nodes, divide channel width by 2 and go to step 2
- 5. If there are no starving nodes, accept this channel width and assignment

```
Imput: physical conflict graph, number of vertices N, star-
substitutes threshold passes a Output: selected channel width w, channel assignment v

as w = 160
as k = |C_{10}|
f = 16
while w \ge 20 do
v \leftarrow \text{compute a} k \text{coloring channel assignment (Tabu)}
compute HR(n, \mathcal{G}_{w}(v), \forall n \in \{1, \dots, N\})
compute HR(n, \mathcal{G}_{w}(v), \forall n \in \{1, \dots, N\})
compute HR(n, \mathcal{G}_{w}(v), v \in \{1, \dots, N\})
compute HR
```

17: return (w.v)

Numerical results

Numerical results: Graph generation and simulation setup

- We randomly generate 105 graphs
- 8 to 30 APs and average densities of 2.5 to 8.3
- 60-second ns-3 simulation using the 802.11ac standard amendment
- All APs are saturated using MCS = 5 and aggregate 4 MPDUs in each transmission

Hits and misses: how many times the channel width chosen by our solution matched that of the simulator:

algo \ simu	80 MHz	40 MHz	20 MHz
80 MHz	17	0	0
40 MHz	0	79	0
20 MHz	0	0	9

algo \ simu	80 MHz	40 MHz	20 MH
80 MHz	22	1	0
40 MHz	0	73	0
20 MHz	0	0	9

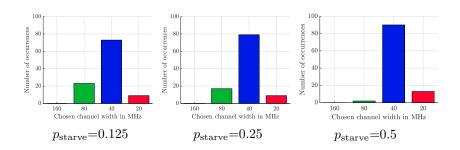
$$p_{\text{starve}} = 0.125$$

$$p_{\text{starve}} = 0.25$$

$$p_{\text{starve}} = 0.5$$

When p_{starve} is properly set, the chosen channel width is (virtually) always the same for our proposed solution and the simulator.

Numerical results: Distribution of channel width



- 40 MHz is the prudent channel width
- 160 MHz always leads to starvation in some APs
- p_{starve} impacts the chosen channel frequency

Conclusions

- A fast and efficient approach to select channel width and assignment
- Decoupled channel width selection and channel assignment
- Graph-centric and requiring little network information
- Focused on avoiding AP starvation
- Easily parameterized to fit different performance criteria

Future works

- Inclusion of more diverse traffic and network scenarios to test the solution's robustness
- Modifying performance criteria: considering proportional fairness instead of starvation

Discussion

Q&A

Thank you for your attention!

Q&A

Achievable throughput exact equation:

$$\gamma_n = \frac{L \times a}{T_{DCF} + a \times \frac{L + H_{MAC}}{R} + T_{ACK}} , \qquad (2)$$

Achievable throughput: best-case scenario of isolated AP

$$\gamma_n = \frac{\text{data size}}{\text{full transmission time}} \tag{2}$$

Achieved throughput: realistic scenario of competing APs γ_n is the throughput AP n obtains as it competes for medium access with its logical neighbors

Starvation threshold

$$\frac{\gamma \prime_n}{\gamma_n} \leq p_{\text{starve}}$$

Q&A

- The Tabu Search algorithm for k-coloring has an $O(D_{max}N^4)$ complexity, where D_{max} is the maximum degree in the graph
- Bron-Kerbosch's algorithm that is used to find the MIR ratios has an $O(3^{\frac{N}{3}})$
- All other parts of our algorithm have a lower complexity, meaning that the overall complexity of the proposed solution is $O(3^N)$.